

Abstract

MAIN THESIS: A major factor that grounds the mass/count distinction is the (non-)resolution of overlap in context.

MAIN ARGUMENTS: (i) Counting presupposes that Ns be interpreted relative to counting contexts, which are contexts enforcing a resolution of overlap in N denotations (following some suggestions in Rothstein (2010) and Landman (2011)); (ii) There is a typical difference between mass and count Ns (in line with Krifka (1989); Rothstein (2010)); lexical entries of mass Ns specify the null context as the context for evaluation, and because it allows for overlap in their denotations, it makes them uncountable; in contrast, lexical entries of count Ns do not specify such a context, and therefore their counting context may vary from utterance to utterance. Adopting this semantics has two major benefits:

- Predict on semantic grounds, for a large class of Ns, when we can(not) expect to find mass/count variation cross- and intralinguistically.
- Explain why superordinate object mass Ns resist mass-to-count coercion.

Background: Data

Signature Property of Mass Nouns

Mass nouns cannot be directly modified by numerals, barring coercion:

- ?Billie has three muds/rices.
coercion
 - portion: "three bowls of rice";
 - subkind: "wild rice", "long-grain rice", and "arborio rice".

Count nouns can be directly modified by numerals, without coercion:

- Alex has three cats/chairs/cars.

Divergent Mass-to-Count Coercion Patterns

Object mass nouns (*furniture, kitchenware, silverware*) RESIST MASS-TO-COUNT COERCION:

MASS-TO-COUNT COERCION

- ? Can you bring three furnitures to our office, please?
Not, e.g.: "Can you bring two chairs and a table to our office, please?"

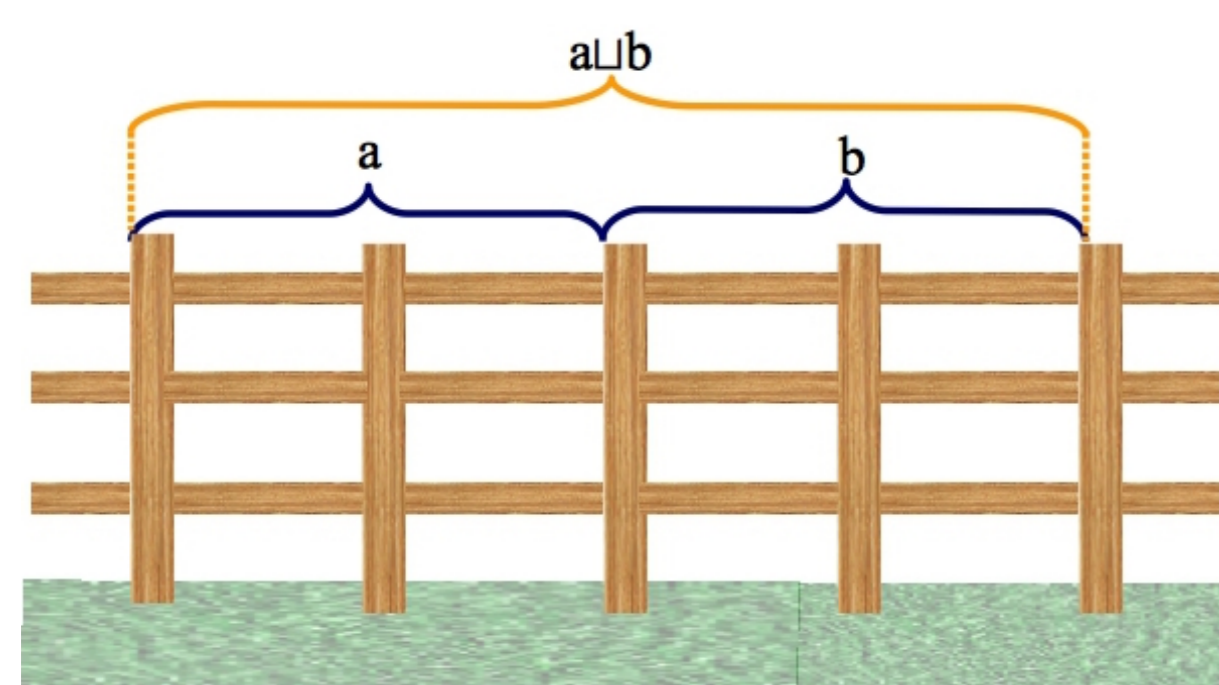
or

MASS-TO-SUBKIND COERCION

- ? I ordered three furnitures: chairs tables and cabinets.
- ? I ordered three furnitures: kitchen, living room, and office.

Background: Previous relevant work

Rothstein (2010)



- Mass nouns of type $\langle e, t \rangle$
- Count nouns of type $\langle \langle e \times k \rangle, t \rangle$ indexed to counting contexts: e.g.,
 - In context k_1 : $\{ \langle a, k_1 \rangle, \langle b, k_1 \rangle \} = 2$ (two fences)
 - In context k_2 : $\{ \langle a \sqcup b, k_2 \rangle \} = 1$ (one fence)
- Counting is counting entity-context pairs

Landman (2011)



- For object mass nouns (Landman's "neat" mass Ns), generator sets = entities that count as 'one': e.g., $\text{gen}(\text{KITCHENWARE}) = \{ \text{teacup, saucer, teacup} \sqcup \text{saucer, pestle, mortar, pestle} \sqcup \text{mortar} \}$
- Overlapping entities count as 'one' SIMULTANEOUSLY IN THE SAME CONTEXT
- Different maximally disjoint subsets ("variants") yield different cardinalities \Rightarrow COUNTING GOES WRONG

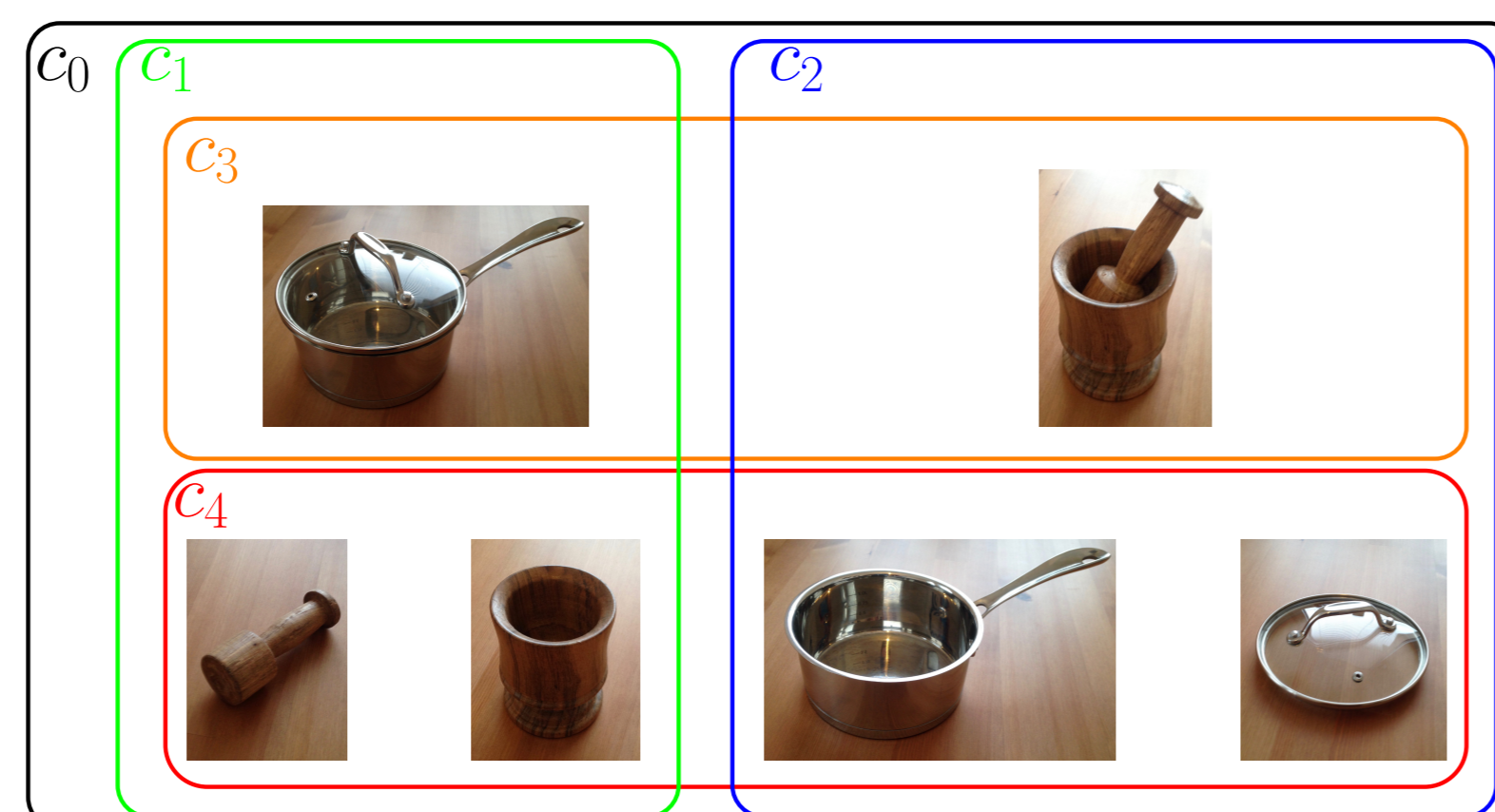
Analysis: Rothstein-Landman Synthesis

Rothstein's Contexts: $c_{i>0} \in \mathcal{C}$

In 'default' cases, map overlapping entities \mapsto disjoint set

Landman's Contexts: c_0

Allows overlap in the same context.



Interdefinability

- The union of the interpretations across all $c_{i>0}$ is the interpretation at c_0

$$[\phi]^{c_0} = \bigcup [\phi]^{c_i} \text{ for all } c_{i>0} \in \mathcal{C}$$

- Restriction on Counting Contexts: Always Maximally Disjoint subsets

$$X_{c_i} = \{ Y : Y \subseteq X, \text{ for all } x, y \in Y, x \sqcap y = \emptyset \text{ and for all } x \in X \text{ and some } y \in Y, x \sqcap y \neq \emptyset \}$$

- Null Counting Context computed from all others:

$$X_{c_0} = \bigcup X_{c_{i>0}} \text{ computed from all } c_i \in \mathcal{C}$$

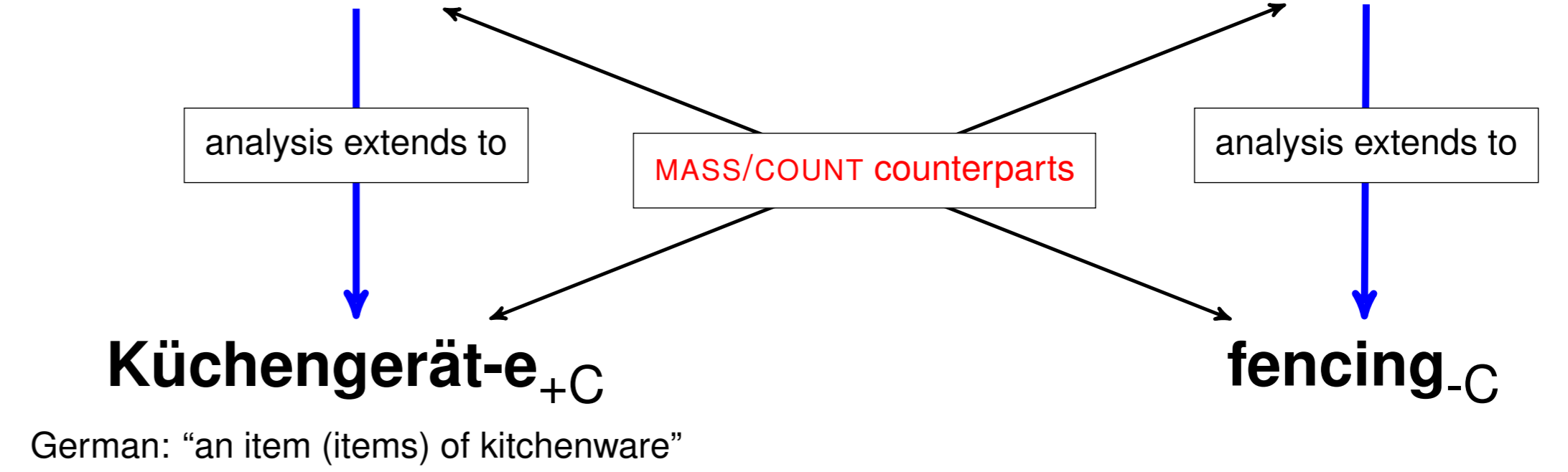
Extending empirical coverage via Rothstein-Landman synthesis

Rothstein (2010): **fence**_{+C}

Landman (2011): **kitchenware**_{-C}

Non-overlap at a single counting-context, c determines what counts as one

Overlap across counting-contexts
COUNTING GOES WRONG



Proposal: Counting in Context

The IND function

We assume $\text{IND} : \langle \langle e, t \rangle, \langle c, \langle e, t \rangle \rangle \rangle$

- When N denotes individuals (*cat, lentils, furniture, fence*):
 - Returns set of entities that intuitively count as 'one'
- When N does not denote individuals (*mud, blood, air*):
 - Returns the empty set

The mass/count distinction in terms of disjointness:

Mass Ns are SATURATED WITH THE NULL CONTEXT

- Count Ns interpreted at context of utterance c_i
- Mass Ns interpreted at null context c_0

- N is MASS: $[\text{N}]^{c_i} = [\text{N}]^{c_0}$ for all $c_i \in \mathcal{C}$, and $\text{IND}(N)_{c_0}$ is not disjoint or empty.
- N is COUNT: $\text{IND}(N)_{c_i}$ is disjoint in Rothstein's counting contexts

Ns interpreted relative to a number neutral property and a counting base:

$[\text{cat}]^{c_i}$	$= \langle \text{CAT}, \text{IND}(\text{CAT})_{c_i} \rangle$	• Disjoint, non-empty IND-sets \Rightarrow at c_i or c_0 , always COUNT
$[\text{kitchenware}]^{c_i}$	$= \langle \text{K_WARE}, \text{IND}(\text{K_WARE})_{c_0} \rangle$	• Non-disjoint, non-empty IND-sets \Rightarrow MASS at c_0
$[\text{fencing}]^{c_i}$	$= \langle \text{FENCE}, \text{IND}(\text{FENCE})_{c_0} \rangle$	\Rightarrow MASS at c_0
$[\text{Küchengerät}]^{c_i}$	$= \langle \text{K_WARE}, \text{IND}(\text{K_WARE})_{c_i} \rangle$	• Non-disjoint, non-empty IND-sets \Rightarrow COUNT at c_i
$[\text{fence}]^{c_i}$	$= \langle \text{FENCE}, \text{IND}(\text{FENCE})_{c_i} \rangle$	• Empty IND-sets \Rightarrow at c_i or c_0 , always MASS
$[\text{mud}]^{c_i}$	$= \langle \text{MUD}, \text{IND}(\text{MUD})_{c_0} \rangle$	\Rightarrow at c_i or c_0 , always MASS

- Disjointness and/or Emptiness of IND-sets \Rightarrow Stably Count/Stably Mass
- Non-Disjointness of IND-sets \Rightarrow Mass/Count variation

Proposal: Predictions for Mass-to-Count Coercion

General process for mass-to-count coercion

- Replacement of IND with CL, a conventionalized, salient unit or measure.

$$\langle P, \text{IND}(P)_{c_i} \rangle \mapsto \langle P, \text{CL}(P)_{c_i} \rangle$$

Examples

- Conventionalized, salient unit or measure for *water*, e.g., BOTTLE of *water*.
 - If container reading, then disjoint, and therefore disjoint at c_0
- Also for *Granular* mass Ns (e.g. *rice*) with CL, e.g., BOWL of *rice*.
- BUT: For Object mass Ns (*kitchenware, furniture*), conventionalized, salient unit or measure (e.g. *item*) amounts to the identity $\text{IND} = \text{CL}$
 - ONLY DISJOINT AT A SPECIFIC COUNTING CONTEXT!
 - Not disjoint at c_0 .
 - Different cardinalities at different counting contexts \Rightarrow COUNTING GOES WRONG

$[\text{water}_{\text{coerced}}]^{c_i}$	$= \langle \text{WATER}, \text{BOTTLE}(\text{WATER})_{c_0} \rangle$	- Disjoint \therefore COUNT
$[\text{rice}_{\text{coerced}}]^{c_i}$	$= \langle \text{RICE}, \text{BOWL}(\text{RICE})_{c_0} \rangle$	- Disjoint \therefore COUNT
$[\text{kitchenware}_{\text{coerced}}]^{c_i}$	$= \langle \text{K_WARE}, \text{IND}(\text{K_WARE})_{c_0} \rangle$	- Not-disjoint \therefore MASS

- Disjointness of CL-sets \Rightarrow Mass-to-Count Coercion
- When $\text{IND} = \text{CL}$, non-Disjointness of IND-sets \Rightarrow Coercion blocked

Conclusion and Extensions

Puzzle for Granulars

- But the general account does not predict *rice* to be mass or mass/count variation (*rice* vs. *lentils*).
 - Single lentils/rice grains don't overlap \Rightarrow $\text{IND}(\text{RICE})/\text{IND}(\text{LENTIL})$ is disjoint.
 - BUT, disjointness of IND set wrongly predicts stable count encoding
- Need to add e.g. a Vagueness story (Chierchia, 2010).
- Solution to the puzzle in Sutton and Filip (2015, 2016)

Assume IND as pretheoretical

- More details in forthcoming work... Watch this space!

Selected References

- Chierchia, G. (2010). Mass nouns, vagueness and semantic variation. *Synthese*, 174:99–149.
- Krifka, M. (1989). Nominal reference, temporal constitution and quantification in event semantics. In Bartsch, R., van Benthem, J. F. A. K., and van Emde Boas, P., editors, *Semantics and Contextual Expression*, pages 75–115. Foris Publications.
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